

Fact Sheet Chapter 2

Frequency Planning

$$S = kN$$

S = # of duplex channels in a cluster

k = # of radio channels

N = # of cells = cluster size

$$C = mKN$$

C = # of channels in a cluster system

m = # of clusters in the system

$N = i^2 + ij + j^2$ = location of nearest co channel neighbor
 i = # cells along hexagon chain
Turn 60° counter clockwise
 j = # of cells to move

B = total Bandwidth = 33 MHz

B_c = channel Bandwidth = $25k \times 2$ simplex ch.

For $N=4$ # channels/cell = $(33m/50k)/4$

Cochannel Interference

$$\frac{S}{I} = \frac{(\sqrt{3N})^n}{i_0}$$

n = path loss exponent

i_0 = # of cells in first tier of interferers

$$N=7 \quad i_0=6$$

TDMA $S/I > 15dB$

Adjacent Channel Interference

$$S/I = 20^{-n}$$

Traffic Intensity

$$A_u = \lambda H$$

A_u = traffic per user (Erlangs)

λ = average call requests/hr

H = length of call (hr)

$$A = U A_u$$

A = traffic total in system (Erlangs)

U = # of users

$$A_c = A/C$$

C = # of channels in system

A_c = traffic per channel (Erlangs)

Grade of Service (GOS)

% of calls blocked

AMPS = 2%

Blocked calls cleared (Erlang B)

$$Pr(\text{blocking}) = \frac{A^c}{C!} = \text{GOS}$$

$$\frac{C}{\sum_{k=0}^C \frac{A^k}{k!}}$$

See Table 2.4

Blocked calls delayed (Erlang A)

$$Pr(\text{delay} > 0)$$

$$= \frac{A^c}{A^c + C!(1 - \frac{A}{C})}$$

$$\frac{C-1}{\sum_{k=0}^{C-1} \frac{A^k}{k!}}$$

$$D = \text{av. delay} = Pr(\text{delay} > 0) \frac{H}{C-A}$$

See ~~Table~~ ^{Figures} 2.6 + 2.7
Example 2.4

Cell Splitting
Sectoring