

## Variables

$E_b$  - Energy / bit

$I_{total} = I_t$  - Interference Total

$I_{oc}$  - Interference other cell

$I_o$  - Own cell interference

$m$  - # of users in cell

$S$  - Signal Power of each user at B.S.

$V_f$  - average reverse link activity factor (voice factor)

$f = \frac{\text{Total other cell received power}}{\text{Total own-cell received power}} = \text{frequency reuse factor}$

$\eta = \frac{1}{1+f}$  reuse efficiency

$\gamma$  - path loss exponent

$\sigma$  - standard deviation of path loss

$\rho = \frac{m}{m_{max}} \approx \frac{I_t}{I_t + N_t}$  - Cell Loading with reference to thermal noise.

$N_t = F k_b T B_w$  = thermal Noise

$R_c$  - Chip Rate

$R$  - data Rate

$G_p = \frac{R_c}{R}$  - Processing Gain

$B_w = R_c$  Spreading Bandwidth

$N_o$  = power spectral density =  $F k_b T$

$N_c$  = power control factor

## Signal Strength $S$ in dB

$$S = P_m + \underbrace{G_m + G_b + G_{dv} + G_{sho}}_{\text{Gains}} + \underbrace{L_p + L_{fade} + L_{body} + L_{pent} + L_{cable}}_{\text{Losses}}$$

$P_m$  - transmit power

$G_m$  - mobile antenna gain

$G_b$  - base station antenna gain

$G_{dv}$  - base station antenna diversity

$G_{sho}$  - soft handoff gain

$L_p$  - path loss =  $L_0 + 10 \gamma \log r$

$L_{fade}$  - fading margin

$L_{body}$  - body loss

$L_{pent}$  - penetration loss

$L_{cable}$  - cable loss

path loss intercept

ie. path loss in dB at 1km

# CDMA Link Budget

## Concepts

### Interference Limited System

Hand-off

Soft hand off - Use multiple base stations

### Quality of Service

Mean Opinion Score (MOS)

Frame Error Rate (FER)

$E_b/I_t$

Call drop rate

Forward Direction Base  $\rightarrow$  Mobile

Reverse Direction Mobile  $\rightarrow$  Base

Pilot Signal  $\rightarrow$  Forward Direction, Coherent Reference

Capacity - Usually Reverse Link Limited

Pole Point, Asymptotic Cell Capacity - Ignore  $kT B$  noise

$\frac{E_b}{I_t} > 5-7$  dB for satisfactory performance  
 $\approx 3-5$

## Power Control

Cell Loading - Figure 10.1

$$\text{Noise Rise } \eta = \frac{P_{\text{total}}}{N_T} = \frac{1}{1-P}$$

## Equations

$$I_{\text{total}} = I_0 + I_{\text{oc}} \quad 10.3$$

$$I_0 = (m-1) \cdot S \cdot V_f \quad 10.1$$

$$I_{\text{oc}} = f \cdot M \cdot S \cdot V_f \quad E_b = \frac{S}{R}$$

## Reverse Link Capacity

In absence of thermal noise

$$\frac{E_b}{I_t} = \frac{V_f S G_p}{I_0 + I_{\text{oc}}} = \frac{V_f S G_p}{(m-1) \cdot S \cdot V_f + f \cdot M \cdot S \cdot V_f} \quad 10.7$$

Single Cell System without thermal noise

$$\frac{E_b}{I_t} = \frac{G_p}{(m-1)} \quad 10.7$$

With thermal noise included & power control

$$\frac{E_b}{I_t} = G_p \frac{S \eta_c}{\text{thermal} + I_0 + I_{\text{oc}}}$$

$$\frac{E_b}{I_t} = G_p \frac{S \eta_c}{F k_B T B_w + (m-1) \cdot S \cdot V_f + f \cdot M \cdot S \cdot V_f}$$

Power Control

# Link Budget CDMA

Energy per bit to Interference Ratio

$$\frac{E_b}{I_t} \quad (\text{dB})$$

$\frac{E_c}{I_t}$  is used for pilot channel since it carries no data, only code  
can be calculated many ways 10.9, 10.13,

Energy per bit

$$E_b = \frac{S}{R} = \frac{\text{Signal strength}}{\text{data rate}} \leftarrow \text{This is linear, not dB}$$
$$= 10 \log_{10} S - 10 \log_{10} R \leftarrow \text{This is dB}$$

Signal Strength comes from "Link Budget" we learned before (See 10.14, 10.51, 10.55)

$$S = P_{\text{received}} = P_{\text{transmitted}} + \text{Gains} - \text{Losses} \quad (\text{dB})$$
$$= (P_{\text{trans}})(\text{Gains})(\text{Losses}) \quad (\text{linear})$$

Interference comes from

Self Cell  $I_o = (M-1) S v_f / B_w \quad (10.10)$

Other Cell  $I_{oc} = f M S v_f / B_w \quad (10.2)$

Noise  $N_o B_w = F T k_b B_w$   
↑ Noise figure

OFTen neglected

Total interference

$$I_t = I_o + I_{oc} + N_o B_w$$

Figure of Merit  
 The data link will "work" when the Figure of Merit is positive. (when you receive enough power)

$$M_{FOM} = \left( \frac{E_b}{I_t} \right)_{\text{actually received}} - \left( \frac{E_b}{I_t} \right)_{\text{design Specified (min)}} > 0$$

Now, what can be calculated from this?

- Cell Radius - using Log Distance model

$$S_{\max} = S_{1\text{km}} + 10 \gamma \log r \quad (10.30)$$

↑  
path loss exponent

$$r = 10^{\frac{+S_{\max} - S_{1\text{km}}}{10\gamma}} \quad \text{or} \quad 10^{\frac{-L_{\max} + L_{1\text{km}}}{10\gamma}} \quad (\text{km})$$

- Max # of users (assuming Full channel use)

$$M_{\max} \sim \frac{G_p \eta_c}{\left( \frac{E_b}{I_t} \right) \gamma_f (1+f)} \quad (10.22)$$

Impaired Power Control

- Realistic # of users
- Also per sector, per cell, etc.

$$\frac{m}{M_{\max}} = \rho \quad \text{cell loading factor} < 1 \quad (10.26)$$

- Capacity (of a cell, sector, etc)

depends on call blocking - use Erlang B charts

other things that affect capacity  
 overhead of control channels (pilot, sync, page)  
 handoff  
 power control  $\eta$