## Ex:



Complete the truth table, below, for the logic circuit above. (Note that you must fill in some missing input values in the table, too.)

| A | B | C | X | Y |
| :--- | :--- | :--- | :--- | :--- |
| 0 | 0 | 0 |  |  |
| 0 |  | 1 |  |  |
|  | 1 | 0 |  |  |
|  |  | 1 |  |  |
| 1 | 0 | 0 |  |  |
| 1 | 0 | 1 |  |  |
| 1 | 1 | 0 |  |  |
| 1 | 1 | 1 |  |  |

Sol'n: First, we fill in the input values (in red), which correspond to counting up in binary. Second, we look for simple cases where the output values may be determined. If $\mathrm{C}=0$, for example, Y must be one (green values) because of the NAND gate. If the output of the NOR gate is 0 , (if either B or C is a 1 ), the output of the NOT gate will be 1 and Y will equal C -not (purple values) and the output of the OR gate, X , will be 1 (blue values).

If the output of the NOR gate is 1 , $(B$ and $C=0)$, then $X$ will be 1 if and only if A is 1 , (orange values), owing to the AND gate.

| A | B | C | X |
| :--- | :--- | :--- | :--- |
| 0 | 0 | 0 | 0 |
| 0 | 0 | 1 | 1 |
| 0 | 1 | 0 | 1 |

