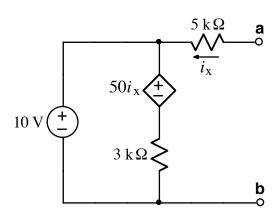
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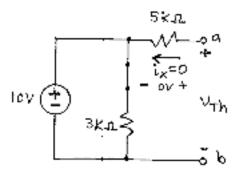
Ex:



- a) Find the Thevenin equivalent of the above circuit relative to terminals **a** and **b**.
- b) If we attach R_L to terminals **a** and **b**, find the value of R_L that will absorb maximum power.
- c) Calculate the value of that maximum power absorbed by $R_{\rm L}$.

sol'n:
$$a$$
) $V_{Th} = V_{q,b}$ no lead

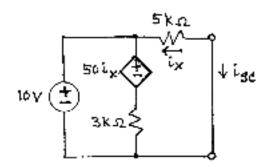
With nothing connected from \mathbf{a} to \mathbf{b} , $i_x = 0$ and $50i_x = 0V$ acts like a wire



Since $i_x=0$, there is no v-drop across the $5 k_A \Omega$ resistor. An outer voltage loop reveals that $V_{Th}=10V$.

Because we have a dependent source, we can find R_{Th} using the formula

$$R_{Th} = \frac{V_{Th}}{\epsilon_{so}}$$

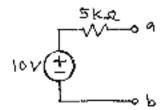


Although we have a dependent source, the IOV source between the top and bottom rails makes the SCix and 3ks. components irrelevant.

From an oater V-loop, we have

$$\therefore R_{Th} = \frac{V_{Th}}{\hat{\iota}_{SC}} = \frac{10V}{2mA} = 5k.\pi.$$

Note: The lov source across the rails allows to ignore the 50 ix and 3k.s. We may remove them. Then we observe that we are left with the Thevenin equivalent direvit: $V_{Th} = 10V$, $R_{Th} = 5k.\Omega$.



c)
$$p_{\text{max}} \approx \frac{v_{\text{Th}}^2}{4 R_{\text{Th}}} = \frac{(10 \text{V})^2}{4 \cdot 5 \text{kJ}} \approx \frac{100}{20} \text{ mW}$$