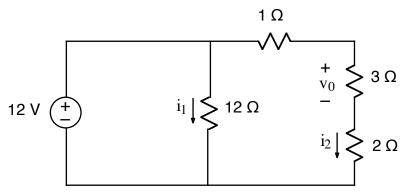
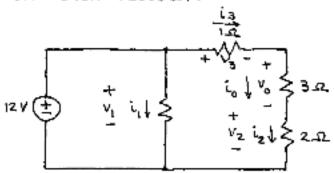
U

Ex:



- a) Calculate i_1 , i_2 , and v_0 .
- b) Find the power dissipated for every component, including the voltage source.

sol'n: a) We first label voltage and current for each resistor.



Starting with voltage loops, we have the following equations:

v-loop on left: $\pm 12V - V_1 = 0V$ or $V_1 = 12V$ This means that a resistor across a voltage source has that voitage drop across it.

v-loop on right: $+v_1-v_3-v_6-v_2 = OV$ This loop is in the clockwise direction. Since we have eghs for the two inner loops, the outside v-loop would be redundant.

Now we consider i-sums at mades.

At the top center node, we discover that we lack a current for the IZV source. If we define a current for the voltage source, we add another unknown and another eg'n. Consequently, this gets as no closer to solving for the currents and voltages. Thus, we avoid writing a current-sum eg'n for the top center node.

The same argument applies to the bottom center node. Thus, this problem requires no current-sum egins.

The next step is to equate currents in series components. Here, the same current must flow in 152, 352, and 252 resistors:

$$i_3 = i_0 = i_2$$

From this point forward, we use iz in place of is and io. Note: if we book for such series currents at the outset, then we may eliminate some currents immediately.

Last, we use Ohm's law.

$$V_1 = \hat{c}_1 \cdot 12.52$$
 or $12V = \hat{c}_1 \cdot 12.52 \Rightarrow \hat{c}_1 = \frac{12V}{12.52} = 1.4$

Vo = iz-352

V2 ≈ 12·2.52

لاع جاني الحد

Note that use can solve for v, and i, separately. This will happen whenever we have different parts of the circuit that are connected in parallel directly across a V-source.

For right side of the circuit, we can substitute the Chm's law expressions into the voltage egin and solve for $\hat{\iota}_2$:

$$v_1 - v_3 - v_0 - v_2 = ov$$

$$i_2^{-} = 2A$$

For vo, we use Ohm's law:

$$V_0 = i_2 \cdot 3 \mathcal{R} = 2A \cdot 3 \mathcal{R} = 6V.$$

b) power = i.v

For resistors,
$$p = iv = i^2R = \frac{v^2}{R}$$
.
 $p_{12.n} = i_1^2 \cdot 12.R = (1A)^2 \cdot 12.R = 12W$
 $p_{1.n} = i_2^2 \cdot 1.R = (2A)^2 \cdot 1.R = 4W$
 $p_{3.n} = i_2^2 \cdot 3.R = (2A)^2 \cdot 3.R = 12W$
 $p_{2.n} = i_2^2 \cdot 2.R = (2A)^2 \cdot 2.R = 8W$
Total $R_{pur} = 36W$

For the 12V source, we need the current. Now that we have solved the circuit, we can use Kirchhoff's laws to find the current. Using a current source for the top center node, we have the following egh:

ರೊ

$$i_{12} = -(i_1 + i_2) = -(1A + 2A) = -3A$$

$$P_{12} = -3A \cdot 12V = -36W$$

Total power for circuit is -36W+36W=0W. Note: a regative power means a source is supplying power.