

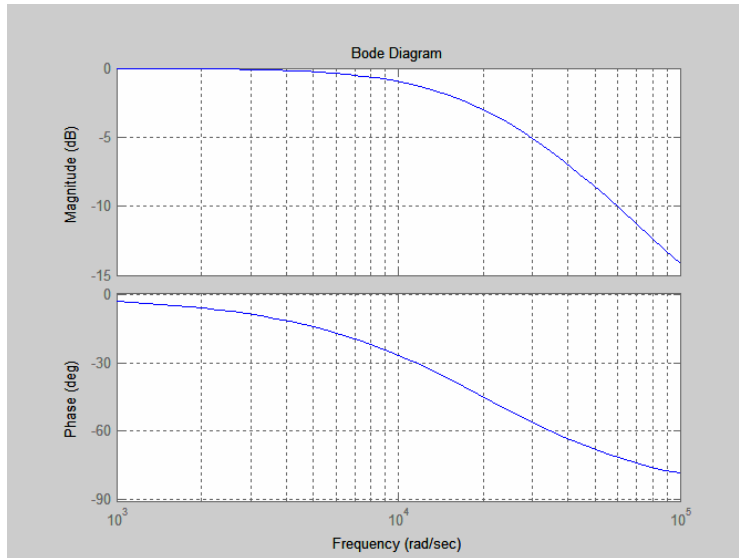
## BODE PLOTS IN MATLAB

Examples using three different methods applied to the transfer function from Prelab 1 :

$$TF = \frac{20000}{s + 20000}$$

### Method 1: Easiest (If you have the Control Toolbox in Matlab)

```
s=tf('s');  
H = (20000/(s+20000));  
Bode(H)  
grid on
```



### Method 2: Annalisa's Way (With no Control Toolbox...)

```
%Expand the numerator and denominator of your transfer function by multiplying out the terms. Then  
%make an array of the coefficients of the numerator and denominator of the transfer function in descending  
%order of powers. Example: if numerator is  $As^2+Bs+C$ , array will be  $num=[A B C]$ . Note that the arrays  
%for the numerator and denominator must be equal in length.
```

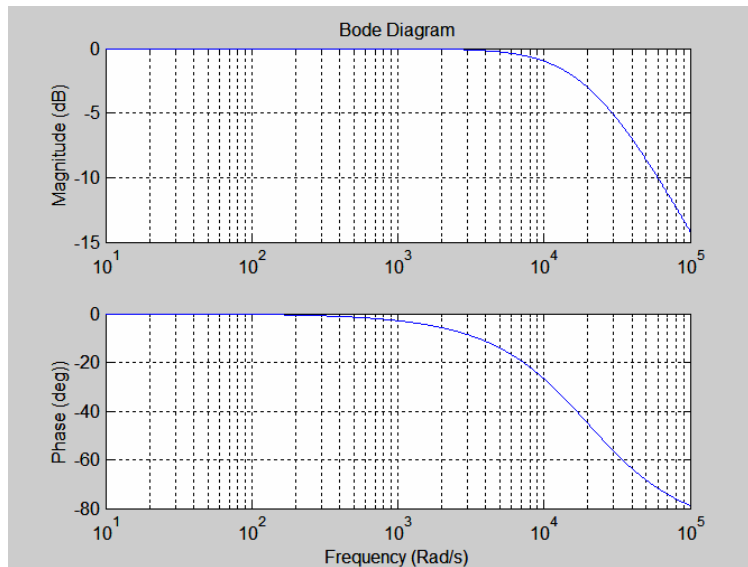
```
numTF=[0 20000];  
denomTF=[1 20000];  
w=0:10:10e4;
```

```
%Function 'freqs' gives the frequency response in the s-domain
```

```
Y=freqs(numTF,denomTF,w);  
y1=abs(Y);  
y2=angle(Y);
```

```
subplot(2,1,1)  
semilogx(w,20*log10(y1))  
grid on  
ylabel('Magnitude (dB)')  
title('Bode Diagram')
```

```
subplot(2,1,2)  
semilogx(w,y2*(180/pi))  
grid on  
ylabel('Phase (deg)')  
xlabel('Frequency (Rad/s)')
```



### Method 3: Dr. Rasmussen's Way (With no Control Toolbox...)

%Function 'logspace' creates an array of 200 points from -1 to 10<sup>5</sup> spaced logarithmically

```
w=logspace(-1,5,200);
```

```
MagH=sqrt(0^2+20000^2)./sqrt(w.^2+20000^2);
```

```
MagHdb=20*log10(MagH);
```

```
PhaseHRad=-atan(w/20000);
```

```
PhaseHDeg=PhaseHRad*180/pi;
```

```
subplot(2,1,1)
```

```
semilogx(w,MagHdb)
```

```
ylabel('20 log10(|TF|) [dB]')
```

```
title('Bode Diagram')
```

```
grid on
```

```
subplot(2,1,2)
```

```
semilogx(w,PhaseHDeg)
```

```
xlabel('frequency [rad/s]')
```

```
ylabel('Phase Angle [deg]')
```

```
grid on
```

